

Maple codes for transportation problems

Solving the warehouse example (the first example in Ch 8):

```
with(linalg):
c:=vector([464, 513, 654, 867, 352, 416, 690, 791, 995, 682, 388, 658])"
x:=vector(12):
z:=dotprod(x,c);
CS:={x[1]+x[2]+x[3]+x[4]=75, x[5]+x[6]+x[7]+x[8]=125, x[9]+x[10]+x[11]+x[12]=100,
x[1]+x[5]+x[9]=80, x[2]+x[6]+x[10]=65, x[3]+x[7]+x[11]=70, x[4]+x[8]+x[12]=85}:
with(simplex):
sol:=minimize(z, CS, NONNEGATIVE);
assign(sol); z;
```

The following is what you should see when you type the above commands:

```
> with(linalg) :
> c := vector ([464 , 513 , 654 , 867 , 352 , 416 , 690 , 791 , 995 ,
682 , 388 , 658 ]) :
> x := vector (12) :
> z := dotprod (x, c);

$$\begin{aligned} z := & 464 x_1 + 513 x_2 + 654 x_3 + 867 x_4 + 352 x_5 + 416 x_6 \\ & + 690 x_7 + 791 x_8 + 995 x_9 + 682 x_{10} + 388 x_{11} + 658 x_{12} \end{aligned}$$

  

> CS := {x[1]+x[2]+x[3]+x[4]=75, x[5]+x[6]+x[7]+x[8]
= 125, x[9]+x[10]+x[11]+x[12]= 100, x[1]+x[5]+x[9]
= 80, x[2]+x[6]+x[10]= 65, x[3]+x[7]+x[11]= 70,
x[4]+x[8]+x[12]= 85};


$$\begin{aligned} CS := & \{x_1 + x_2 + x_3 + x_4 = 75, x_5 + x_6 + x_7 + x_8 = 125, x_9 + x_{10} + x_{11} \\ & + x_{12} = 100, x_1 + x_5 + x_9 = 80, x_2 + x_6 + x_{10} = 65, x_3 + x_7 + x_{11} \\ & = 70, x_4 + x_8 + x_{12} = 85\} \end{aligned}$$

  

> with(simplex) :
> sol := minimize (z, CS, NONNEGATIVE );

$$\begin{aligned} sol := & \{x_4 = 55, x_5 = 80, x_3 = 0, x_7 = 0, x_9 = 0, x_{10} = 0, x_{12} \\ & = 30, x_{11} = 70, x_1 = 0, x_8 = 0, x_6 = 45, x_2 = 20\} \end{aligned}$$

  

> assign(sol); z;
151725
>
```

Note: If the problem involves a big M, just replace it with a large number such as 1,000,000.