

```
! T & P Transportation problem in LINGO form;
! copy and paste this document into LINGO;
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SETS:
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! The simple/primitive sets- these set will eventually be the parameters;
! Unlike the previous problem, each of these sets have two defining
characteristics: Total number of shipments and resource constraints;
```

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Cannery: CanProduce, Output;
Warehouse: WarProduce, Allocation;
```

```
! A derived set maps the warehouses to the canneries, creating the matrix
given in the original problem;
! makes sure to get the order right--> row then colum;
! notice that each matrix term has both a cost and an amount;
Links(Cannery, Warehouse): ShipCost, Ship;
```

```
ENDSETS
```

```
DATA:
```

```
! Input the Canneries and their constraints;
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```
Cannery, Output =
    C1 75
    C2 125
    C3 100;
```

```
! Input the Warehouses and their constraints;
```

```
Warehouse, Allocation =
    W1 80
    W2 65
    W3 70
    W4 85;
```

```
! Input the shipping costs per truckload as given in the original shipping
cost matrix;
```

```
ShipCost = 464 513 654 867
           352 416 690 791
           995 682 388 685;
```

```
ENDDATA
```

```
! Minimize total cost;
```

```
MIN = @SUM(Links: ShipCost*Ship);
```

```
! cannery restraints;
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```
! For each cannery i;
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```
@FOR(Cannery(i):
```

```
! sum the warehouse truckloads for every warehouse and set them equal to the
output constraint (output);
```

```
@SUM(Warehouse(j): Ship(i,j)) = Output(i));
```

```
! Warehouse constraints;
! For each machine i;
@FOR(Warehouse(j):
! sum the cannery truckloads for every cannery and set them equal to the
output constraint (allocation);
@SUM(Cannery(i): Ship(i,j)) = Allocation(j));
```